

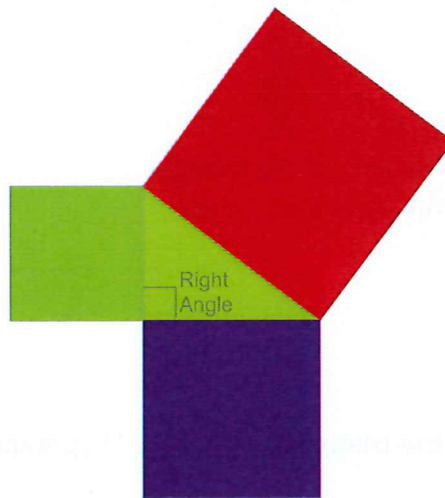
# PYTHAGORAS' THEOREM

Over 2000 years ago there was an amazing discovery about triangles:

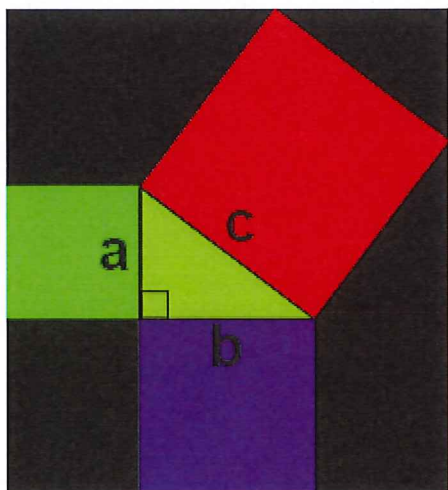
*When a triangle has a right angle ( $90^\circ$ ) ...*

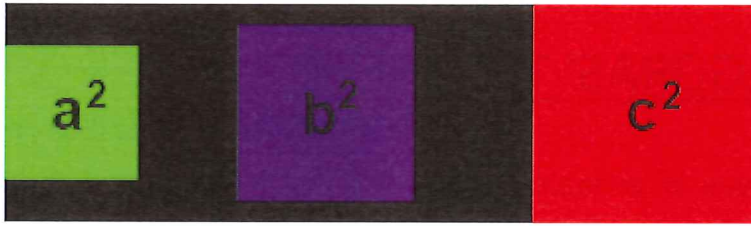
*... and squares are made on each of the three sides, ...*

Go



*... then the biggest square has the **exact same area** as the other two squares put together!*





It is called "Pythagoras' Theorem" and can be written in one short equation:

$$a^2 + b^2 = c^2$$

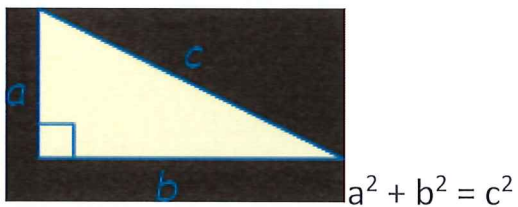
Note:

- **c** is the **longest side** of the triangle
- **a** and **b** are the other two sides

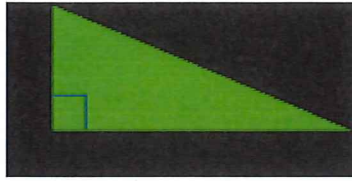
### Definition

The longest side of the triangle is called the "hypotenuse", so the formal definition is:

In a right angled triangle:  
the square of the hypotenuse is equal to  
the sum of the squares of the other two sides.



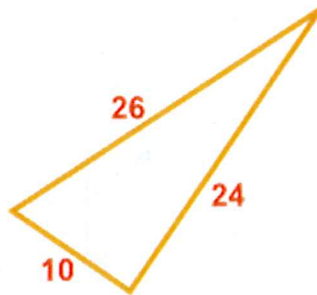
Example: Solve this triangle



Start with:  $a^2 + b^2 = c^2$   
Put in what we know:  $5^2 + 12^2 = c^2$   
Calculate squares:  $25 + 144 = c^2$   
 $25 + 144 = 169$ :  $169 = c^2$   
Swap sides:  $c^2 = 169$   
Square root of both sides:  $c = \sqrt{169}$   
Calculate:  **$c = 13$**

when the three sides of a triangle make  $a^2 + b^2 = c^2$ , then the triangle is right angled.

Example: Does this triangle have a Right Angle?



Does  $a^2 + b^2 = c^2$  ?

- $a^2 + b^2 = 10^2 + 24^2 = 100 + 576 = \mathbf{676}$
- $c^2 = 26^2 = \mathbf{676}$

They are equal, so ...

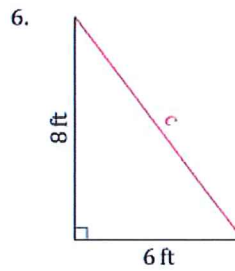
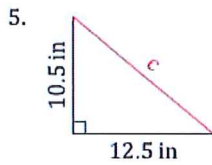
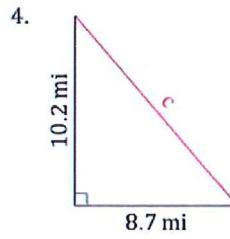
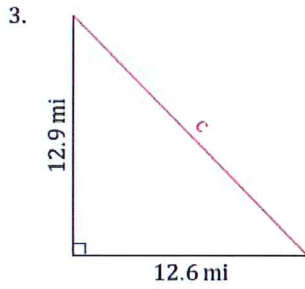
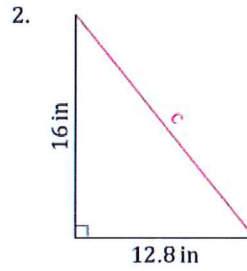
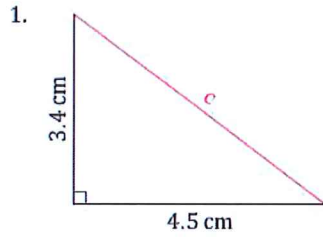
Yes, it does have a Right Angle!

# Pythagorean Theorem (A)

Name: \_\_\_\_\_

Date: \_\_\_\_\_

Calculate the missing side measurement using  $a^2 + b^2 = c^2$ .

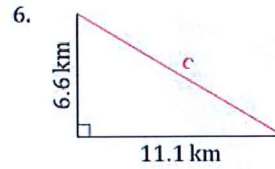
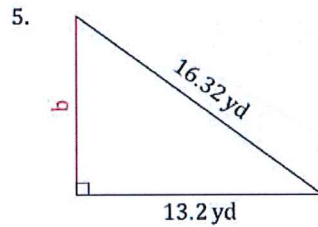
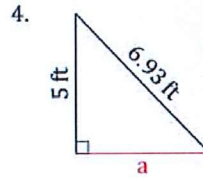
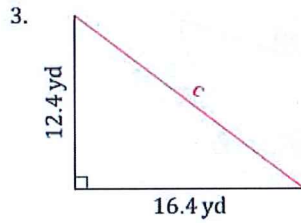
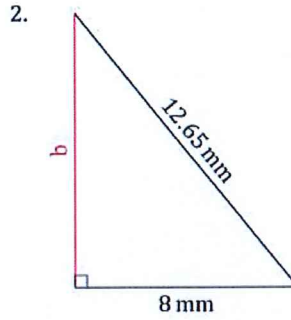
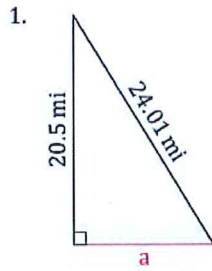


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