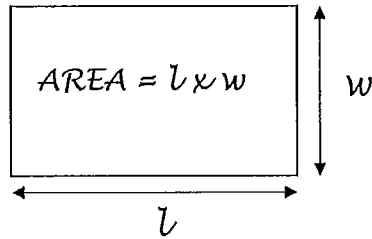


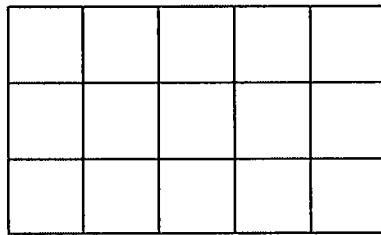
AREA

- Area is the amount of space that is inside a shape.
- Because it is an amount of space, it has to be measured in squares.
- If the shape is measured in cm, then the area would be measured in square cm or cm^2

Area of a Rectangle



- If you are measuring the area of a rectangle, then the area will equal the length multiplied by the width.
- Or Area of a rectangle = length x width.
- The area of the rectangle below is $5 \times 3 = 15$ squares.



Name

Date



GEOMETRY QUICK GUIDE 2: 2D SHAPES

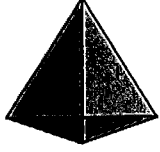
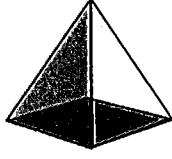
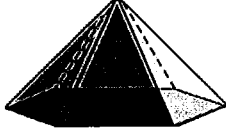
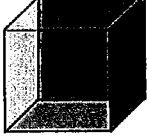

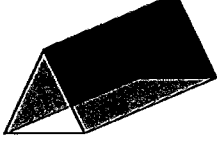

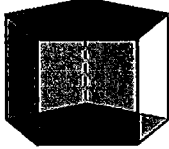
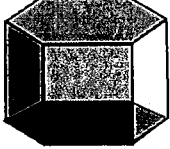

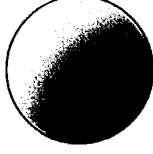
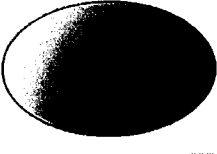

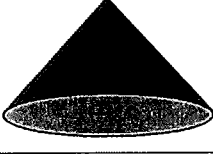

TRIANGLES	QUADRILATERALS		REGULAR POLYGONS
 Equilateral triangle All sides equal; interior angles 60°	 Square All sides equal; all angles 90°		 Equilateral triangle 3 sides; angle 60°
 Isosceles triangle 2 sides equal; 2 congruent angles	 Rectangle Opposite sides equal, all angles 90°		 Square 4 sides; angle 90°
 Scalene triangle No sides or angles equal	 Rhombus All sides equal; 2 pairs of parallel lines; opposite angles equal		 Regular Pentagon 5 sides; angle 108°
 Right triangle 1 right angle	 Parallelogram Opposite sides equal, 2 pairs of parallel lines		 Regular Hexagon 6 sides; angle 120°
 Acute triangle All angles acute	 Kite Adjacent sides equal; 2 congruent angles		 Regular Octagon 8 sides; angle 135°
 Obtuse triangle 1 obtuse angle	 Trapezoid 1 pair of parallel sides	 Trapezium No pairs of parallel sides	 Regular Decagon 10 sides; angle 144°

Name

Date

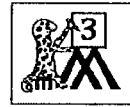


GEOMETRY QUICK GUIDE 3: 3D SHAPES

		
Tetrahedron Faces: 4; Edges: 6; Vertices: 4	Square pyramid Faces: 5; Edges: 8; Vertices: 5	Hexagonal pyramid Faces: 7; Edges: 12; Vertices: 7
		
Cube Faces: 6; Edges: 12; Vertices: 8	Cuboid Faces: 6; Edges: 12; Vertices: 8	Triangular prism Faces: 5; Edges: 9; Vertices: 6
		
Octahedron Faces: 8; Edges: 12; Vertices: 6	Pentagonal prism Faces: 7; Edges: 15; Vertices: 10	Hexagonal prism Faces: 8; Edges: 18; Vertices: 12
		
Dodecahedron Faces: 12; Edges: 30; Vertices 20	Sphere Faces: 0 or 1; Edges: 0; Vertices 0	Ellipsoid Faces: 0 or 1; Edges: 0; Vertices 0
		
Icosahedron Faces: 20; Edges: 30; Vertices: 12	Cone Faces: 1 or 2; Edges: 0 or 1; Vertices: 0 or 1	Cylinder Faces: 2 or 3; Edges: 0 or 2; Vertices: 0

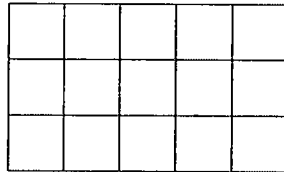
Name _____

Date _____



AREA SHEET 1

To find the area of a rectangle, simply count the number of cm squares inside the rectangle. The area of the shape below is $5 \times 3 = 15$ square cm.



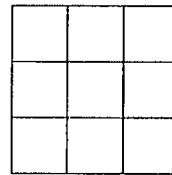
Work out the area of the following rectangles:

1)



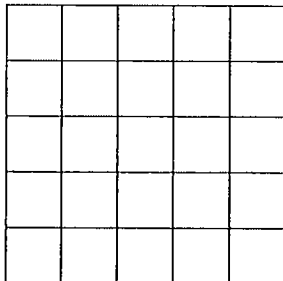
Area = _____ square cm

2)



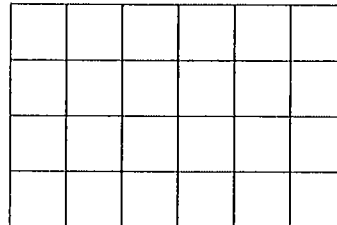
Area = _____ square cm

3)



Area = _____ square cm

4)



Area = _____ square cm



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MATH-SALAMANDERS.COM

Name _____

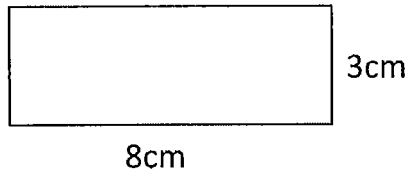
Date _____



AREA SHEET 3

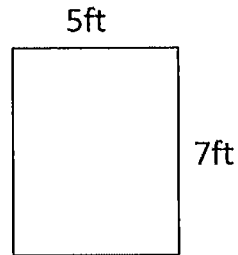
Work out the area of the following rectangles. They are not to scale.

1)



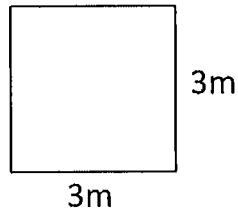
Area = _____ square cm

2)



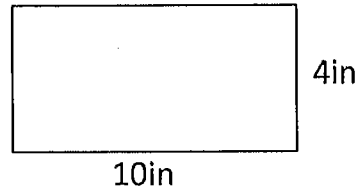
Area = _____ square ft

3)



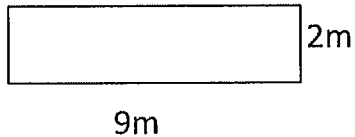
Area = _____ square m

4)



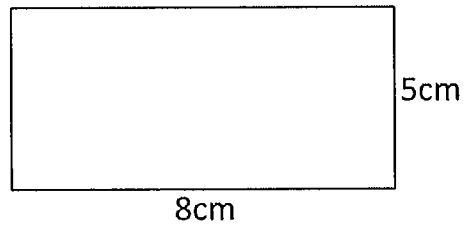
Area = _____ square in

5)



Area = _____ square m

6)



Area = _____ square cm



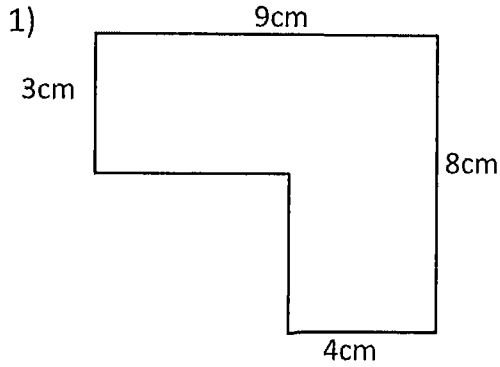
Name _____

Date _____

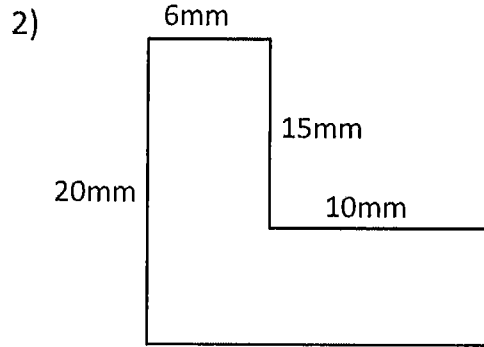


AREA SHEET 6

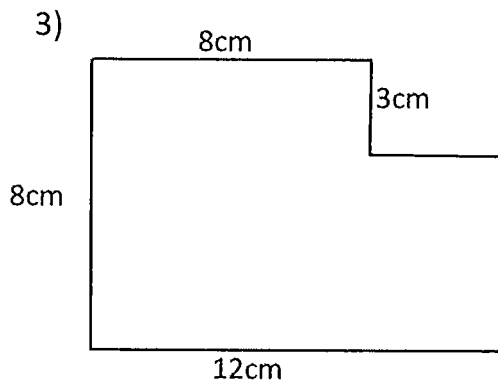
Work out the area of the following shapes by dividing them into rectangles. They are not to scale.



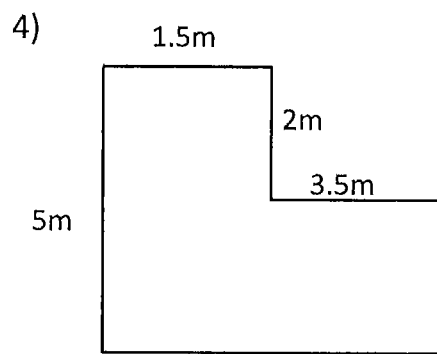
Area = _____



Area = _____



Area = _____



Area = _____

Remember to write down the correct units.



Name _____

Date _____



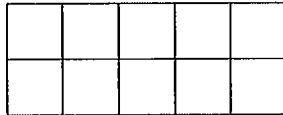
AREA AND PERIMETER SHEET 1

Work out the area and perimeter of the following rectangles.

Each square on the sheet is 1 square cm. Remember **area** is the **number of squares inside**, and **perimeter** is the **distance round the outside** of the shape.



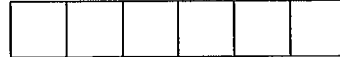
1)



Area = _____ square cm

Perimeter = _____ cm

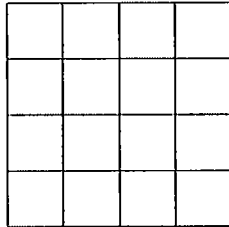
2)



Area = _____ square cm

Perimeter = _____ cm

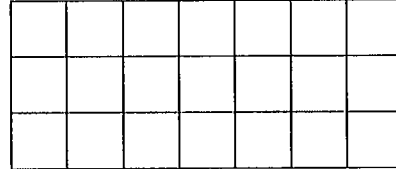
3)



Area = _____ square cm

Perimeter = _____ cm

4)



Area = _____ square cm

Perimeter = _____ cm

5)



Area = _____ square cm

Perimeter = _____ cm

6)



Area = _____ square cm

Perimeter = _____ cm

Name _____

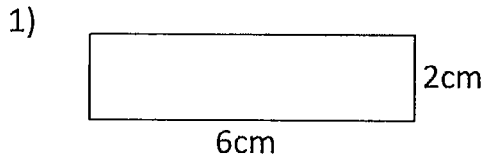
Date _____



AREA AND PERIMETER SHEET 2

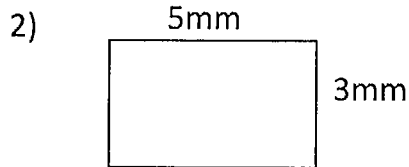
Work out the area and perimeter of the following rectangles.

They are not to scale. Remember - **area inside** and **perimeter outside**.



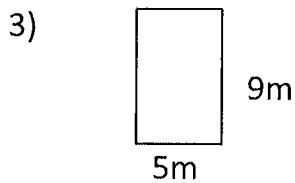
Area = _____ square cm

Perimeter = _____ cm



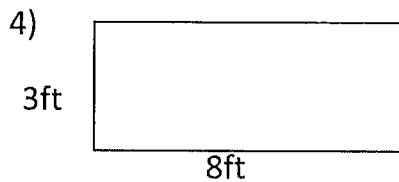
Area = _____ square mm

Perimeter = _____ mm



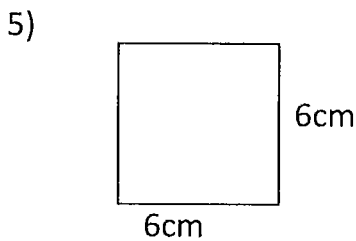
Area = _____ square m

Perimeter = _____ m



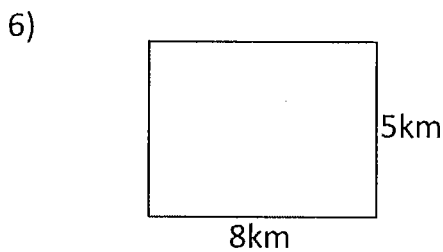
Area = _____ square ft

Perimeter = _____ ft



Area = _____ square cm

Perimeter = _____ cm



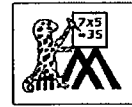
Area = _____ square km

Perimeter = _____ km



Name

Date



AREA & PERIMETER CHALLENGE 2

Captain Salamander has 12m of fencing that he wants to make into a rectangular pen to put in his garden to keep the predators out.

He wants to enclose the **biggest** area possible.

Draw 3 different pens that he could make.

Which pen has the biggest area?



What if Captain Salamander had 20m of fencing instead of 12m?



Name




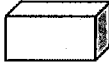

Date



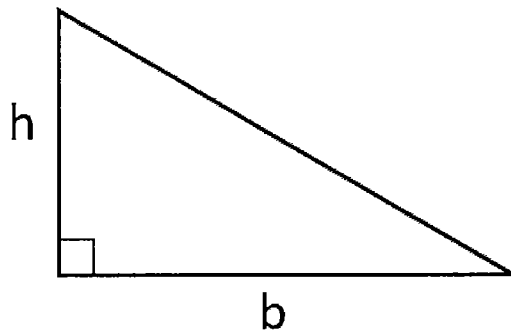
AREA AND PERIMETER PROBLEM SOLVING 1B

Use the information to find out if the problem is an area problem or a perimeter problem.

Underline the correct word then solve the problem! You need to answer the questions in order.

<p>1) Captain is building a rectangular rabbit enclosure for his pet rabbit. The enclosure measures 8m by 6m. How much fence does he need for the enclosure? <i>Area Perimeter</i></p> 	<p>2) Captain now build the enclosure for his pet rabbit. How much space will the rabbit have to run around in? <i>Area Perimeter</i></p> 
<p>3) Sally is buying tiles for her bathroom floor. Each tile is 1 foot by 1 foot. Her bathroom floor measures 12 feet by 7 feet. How many tiles will she need? <i>Area Perimeter</i></p> 	<p>4) Tyger is making a wooden box. The base measures 11cm by 4cm. What length of wood does he needs to go round all the sides? <i>Area Perimeter</i></p> 
<p>5) Frazer is buying paint to paint one of his walls. The wall measures 9 feet by 8 feet. A pot of paint will cover 70 square feet. Will it be enough to cover his wall? <i>Area Perimeter</i></p> 	<p>6) Frazer gets some masking tape to put around the edge of the wall he is painting. How much masking tape does he need? <i>Area Perimeter</i></p>

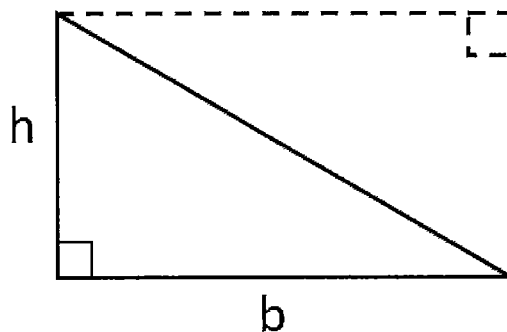
Area of a Right Triangle



- To find the area of a any triangle, you simply need to multiply the base of the triangle by the perpendicular height and halve the answer.
- Because a right triangle has two perpendicular sides already, you simply need to multiply the two perpendicular sides together and halve the result.
- **Area of a triangle = $\frac{1}{2} \times b \times h$** , where b is the length of the base and h is the perpendicular height of the triangle.

Area of a Right Triangle Explained

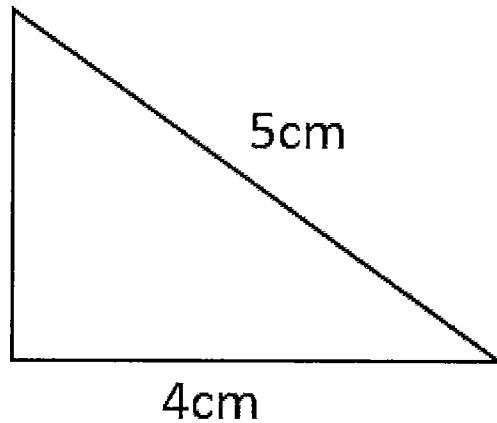
The reason that you simply need to multiply the two perpendicular sides together and halve the answer to find the area of a right triangle is quite straightforward to understand.



If you look at the triangle above, you will notice that the red dotted line that joins the triangle forms a rectangle.

The area of the right triangle is exactly half of this rectangle because it has been split into two identical (congruent) right triangles with the same area. However, we can also see that the area of the rectangle has to be $b \times h$ (because to find the area of a rectangle, you multiply adjacent sides together).

The area of the right triangle is half of this rectangle so we have $\text{Area} = \frac{1}{2} \times b \times h$.



- So why is this example much harder?
- It is because we do not know the perpendicular height.
- To find the perpendicular height we can use Pythagoras' theorem because it applies to right triangles.
- So, if we call the missing side b , then Pythagoras' theorem gives us:
- $h^2 = a^2 + b^2$, where h is the hypotenuse and a and b are the other two sides.
- So, $5^2 = 4^2 + b^2$
- So, $25 = 16 + b^2$
- So, $b^2 = 25 - 16 = 9$
- So, $b = 3\text{cm}$.
- We can now find the area now we have found the perpendicular side.
- Area = $\frac{1}{2} \times 4 \times 3 = \frac{1}{2} \times 12 = 6$ square cm or 6 cm^2

Name

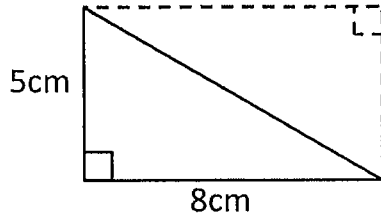
Date



RIGHT TRIANGLE AREA SHEET 1

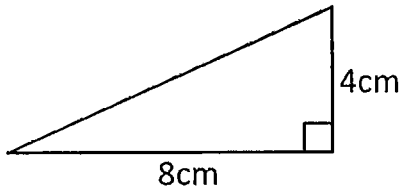
Work out the area of the following triangles by halving the area of the rectangle formed by its perpendicular sides. They are not to scale.

Example



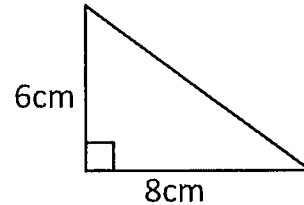
The area of the rectangle is $8 \times 5 = 40\text{cm}^2$.
The triangle is half the size of the rectangle
so its area is $\frac{1}{2} \times 5 \times 8 = 20\text{cm}^2$.

1)



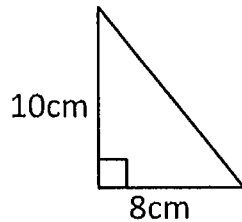
Area = _____ square cm (cm^2)

2)



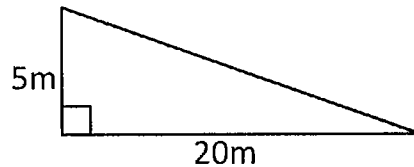
Area = _____ square cm (cm^2)

3)



Area = _____ square cm (cm^2)

4)



Area = _____ square m (m^2)

Handy hint:

The formula for the area of a triangle is

$\frac{1}{2} \times \text{base} \times (\text{perpendicular}) \text{ height}$

Name _____

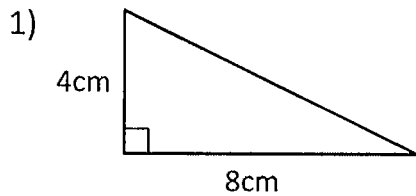
Date _____



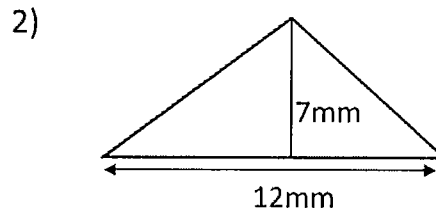
TRIANGLE AREA SHEET 2

Work out the area of the following triangles. They are not drawn to scale.

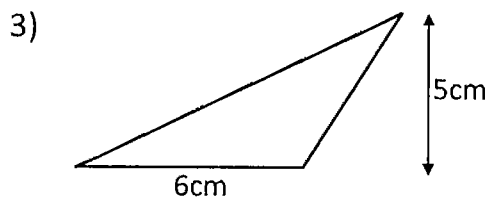
Use the formula at the bottom of the page to help you.



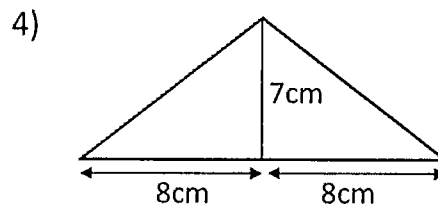
Area = _____ cm²



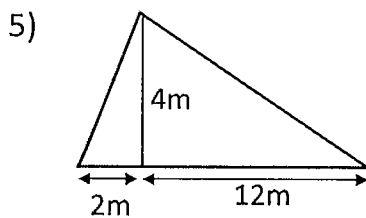
Area = _____



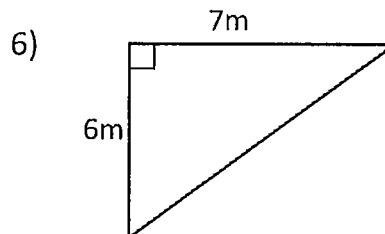
Area = _____



Area = _____



Area = _____



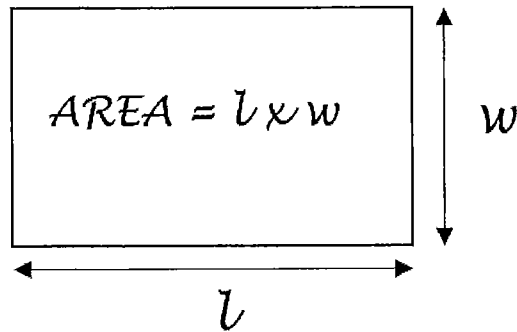
Area = _____

Handy hint:

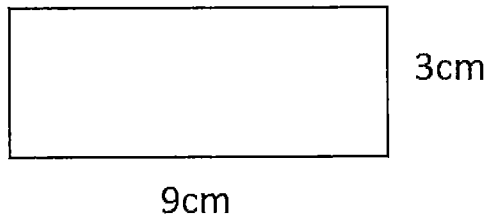
The formula for the area of a triangle is

$\frac{1}{2} \times \text{base} \times (\text{perpendicular}) \text{ height}$

Area of a Rectangle



- To find the area of a rectangle, you simply need to multiply the length by the width.
- Area of a rectangle = $l \times w$, where l is the length and w is the width.

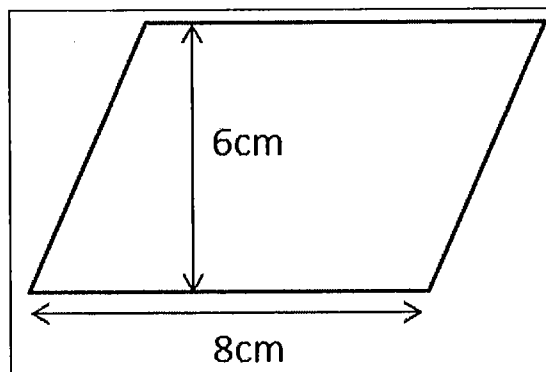


- In the example above, the area of the rectangle is $9 \times 3 = 27$ square cm or 27 cm^2

Area of a Parallelogram

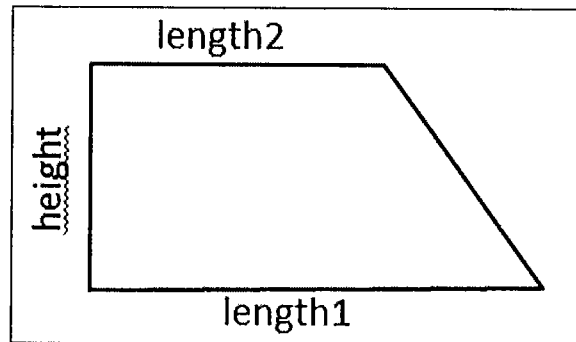
- If you are measuring the area of a parallelogram, then the area will be equal to the base multiplied by the perpendicular height.
- Or Area of a parallelogram = base \times (perpendicular) height

Example



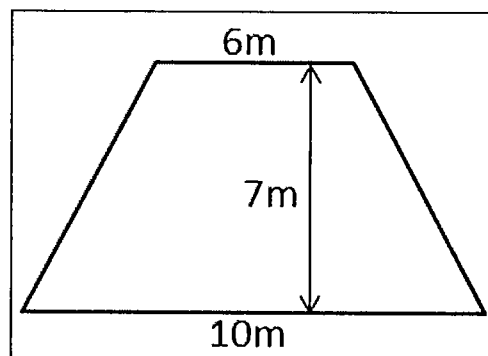
- In the example above, the area of the parallelogram is $8 \times 6 = 48$ square cm or 48 cm^2

Area of a Trapezoid (Trapezium UK)



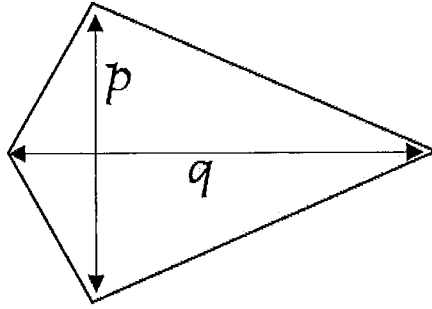
- If you are measuring the area of a trapezoid (called a trapezium in the UK) then the area will be $\frac{1}{2} \times (\text{length of the two parallel sides added together}) \times \text{height}$
- Or Area of a trapezoid = $\frac{1}{2} \times (\text{length1} + \text{length2}) \times \text{height}$

Example



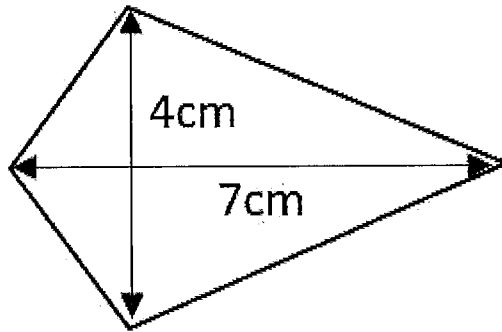
- In the example above, the area is $\frac{1}{2} \times (10 + 6) \times 7 = 56$ square m or 56 m^2

Area of a Kite



- If you are measuring the area of a kite, then you just need to multiply the lengths of the two diagonals.
- Area of a kite = $\frac{1}{2} \times p \times q$ (where p and q are the lengths of the two diagonals)

Example



- In the example above, the area is $\frac{1}{2} \times 7 \times 4 = 14$ square cm or 14 cm^2

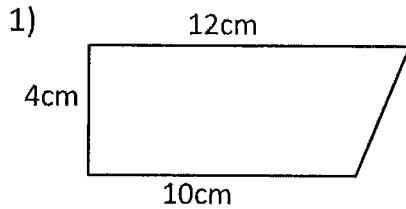
Name _____

Date _____

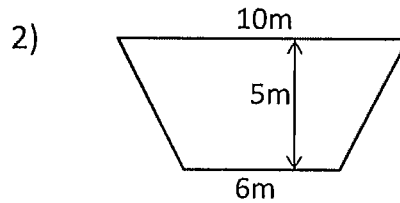


QUADRILATERAL AREA SHEET 2

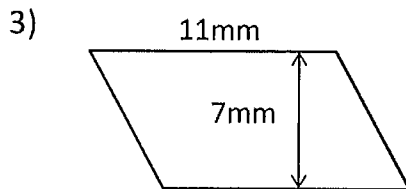
Find the area of these quadrilaterals by splitting them up into rectangles and triangles. They are not drawn to scale.



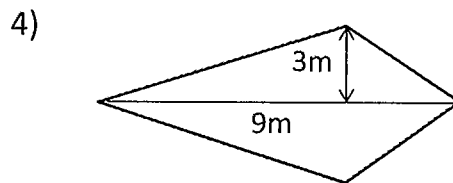
Area = _____



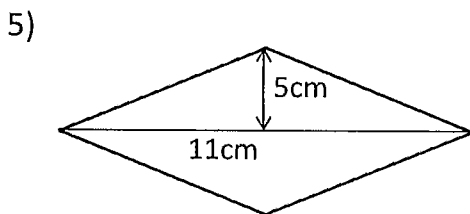
Area = _____



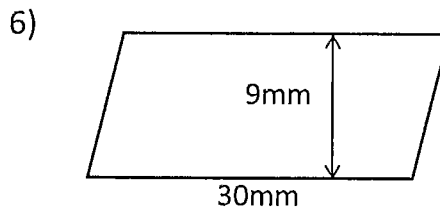
Area = _____



Area = _____



Area = _____



Area = _____

Handy hints:

Area of a parallelogram = *length* x *perpendicular height*

Area of a trapezium = $\frac{1}{2} \times (\text{length1} + \text{length2}) \times \text{height}$

How to Calculate the Area

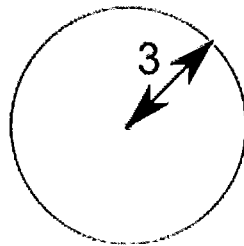
The area of a circle is:

$$\pi \text{ (Pi) times the Radius squared: } A = \pi r^2$$

$$\text{or, when you know the Diameter: } A = (\pi/4) \times D^2$$

$$\text{or, when you know the Circumference: } A = C^2 / 4\pi$$

Example: What is the area of a circle with radius of 3 m ?



$$\text{Radius} = r = 3$$

$$\text{Area} = \pi r^2$$

$$= \pi \times 3^2$$

$$= 3.14159... \times (3 \times 3)$$

$$= \mathbf{28.27 \text{ m}^2} \text{ (to 2 decimal places)}$$

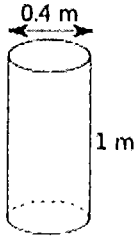
Example: Max is building a house. The first step is to drill holes and fill them with concrete.

The holes are **0.4 m wide** and **1 m deep**, how much concrete should Max order for each hole?



The holes are circular (in cross section) because they are drilled out using an auger.

The diameter is 0.4m, so the Area is:



$$A = (\pi/4) \times D^2$$

$$A = (3.14159.../4) \times 0.4^2$$

$$A = 0.7854... \times 0.16$$

$$A = \mathbf{0.126 \text{ m}^2} \text{ (to 3 decimals)}$$

And the holes are 1 m deep, so:

$$\text{Volume} = 0.126 \text{ m}^2 \times 1 \text{ m} = \mathbf{0.126 \text{ m}^3}$$

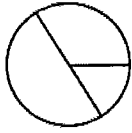
So Max should order 0.126 cubic meters of concrete to fill each hole.

Note: Max could have **estimated** the area by:

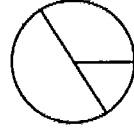
- 1. Calculating a square hole: $0.4 \times 0.4 = \mathbf{0.16 \text{ m}^2}$
- 2. Taking 80% of that (estimates a circle): $80\% \times 0.16 \text{ m}^2 = \mathbf{0.128 \text{ m}^2}$
- 3. And the volume of a 1 m deep hole is: $\mathbf{0.128 \text{ m}^3}$

Circumference and Area of Circles (A)

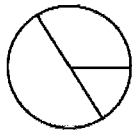
Find the circumference and area of each circle to one decimal place.



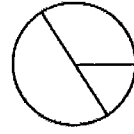
$d = 7.9 \text{ cm}$



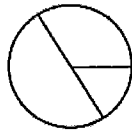
$d = 6.3 \text{ cm}$



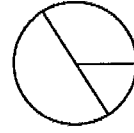
$r = 7.3 \text{ cm}$



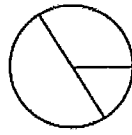
$d = 5.5 \text{ cm}$



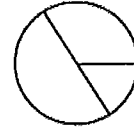
$d = 9.5 \text{ mm}$



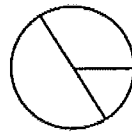
$r = 1 \text{ yd}$



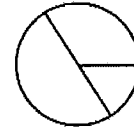
$r = 9.7 \text{ m}$



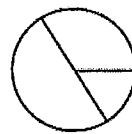
$d = 7 \text{ m}$



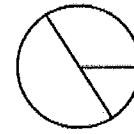
$r = 0.5 \text{ m}$



$r = 2.4 \text{ cm}$



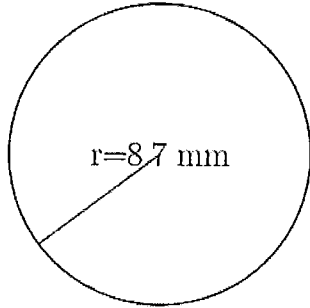
$d = 0.9 \text{ mi}$



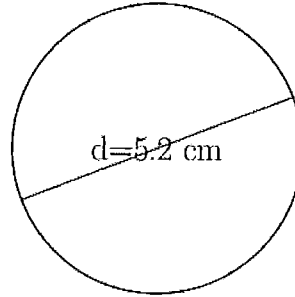
$r = 8 \text{ in}$

Area and Circumference of Circles (A)

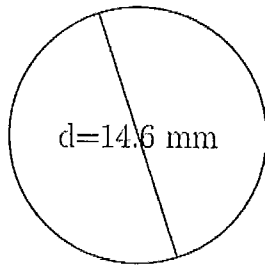
Calculate the area and circumference of each circle.



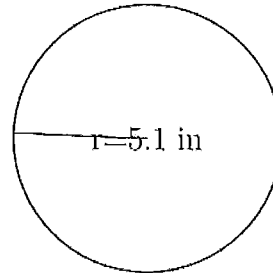
circumference = _____
area = _____



circumference = _____
area = _____



circumference = _____
area = _____



circumference = _____
area = _____